

Delay Tolerant Networking to Extend Internet Coverage Using Informal Public Transport Systems: Design and Analysis*

Workshop on Empowering Connectivity: Bridging Space and Earth with DTN
ICTP, Trieste, 2025

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Mohamed-Slim Alouini (KAUST)

[*] S. Abdeljabar, M. Zennaro, and M-S. Alouini: "Delay tolerant networking to extend Internet coverage using public transport systems: Design and Analysis". *IEEE Internet of Things Journal*, under review.

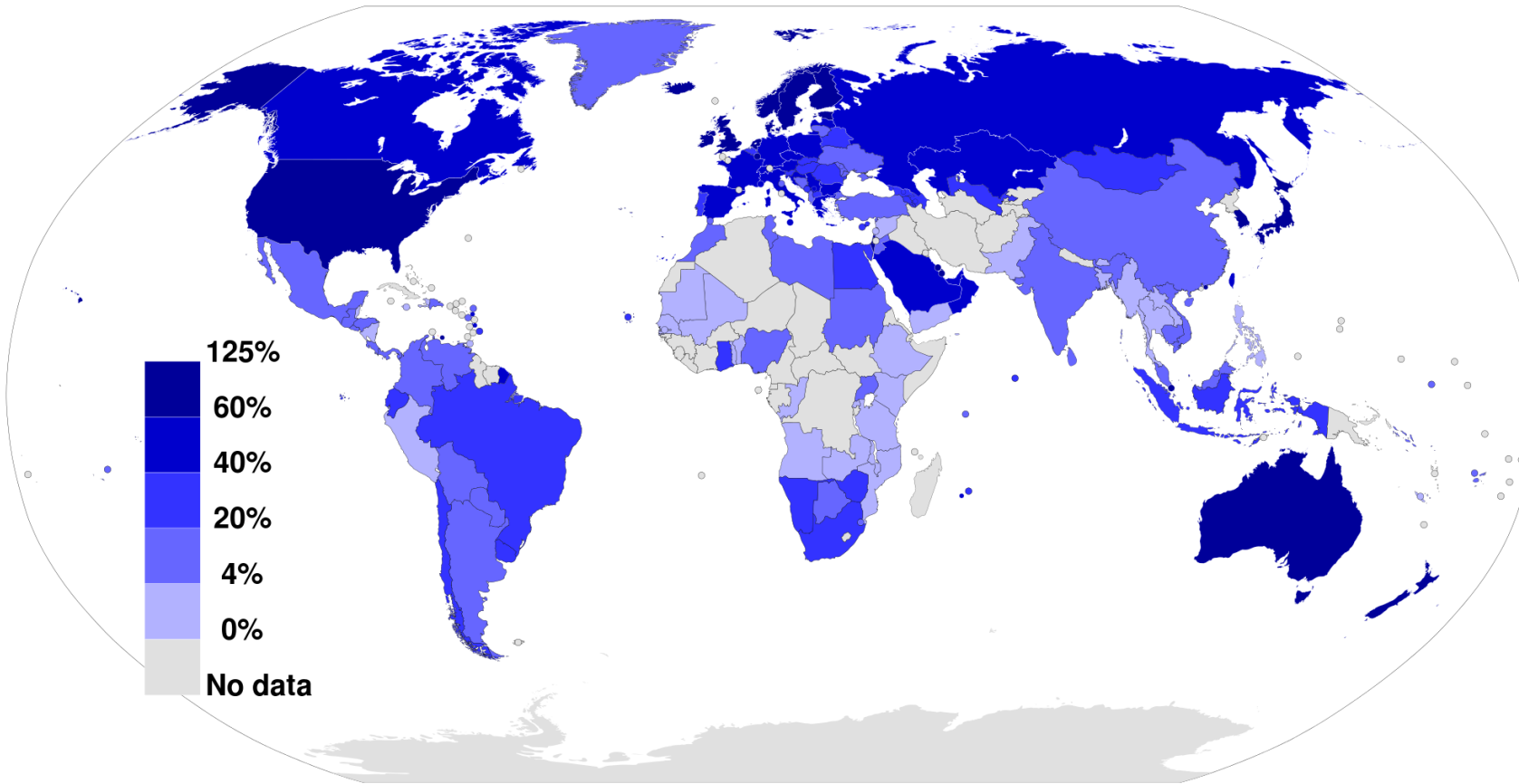


90%
Schools
without Internet
In developing countries



60%
Primary Schools
without Internet
In the world

Motivation



2.9B

People

without Internet

In the world



**United
Nations**



**Common
Agenda**

“universal access to the Internet as a human right”

Report of the Secretary-General

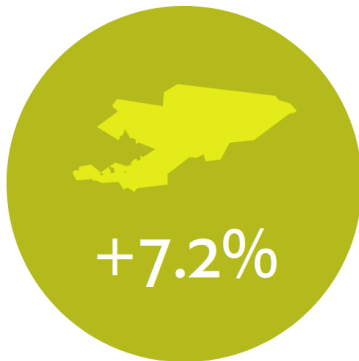
The
Economist

INTELLIGENCE
UNIT



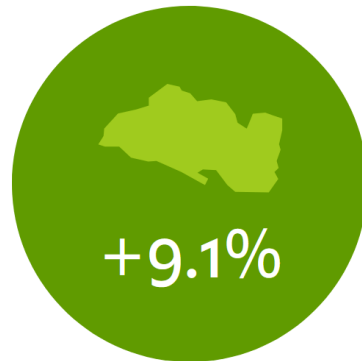
+6.6%

Brazil



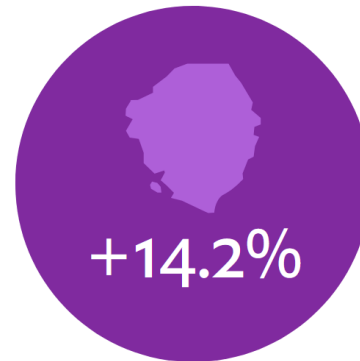
+7.2%

Krysgyzstan



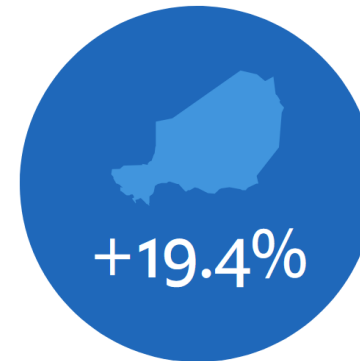
+9.1%

El Salvador



+14.2%

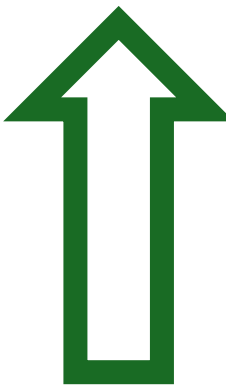
Sierra Leone



+19.4%

Niger

GDP
Gain





unesco
Chair on Education
Connect the Unconnected



The Abdus Salam
**International Centre
for Theoretical Physics**

Harnessing Existing Mobility



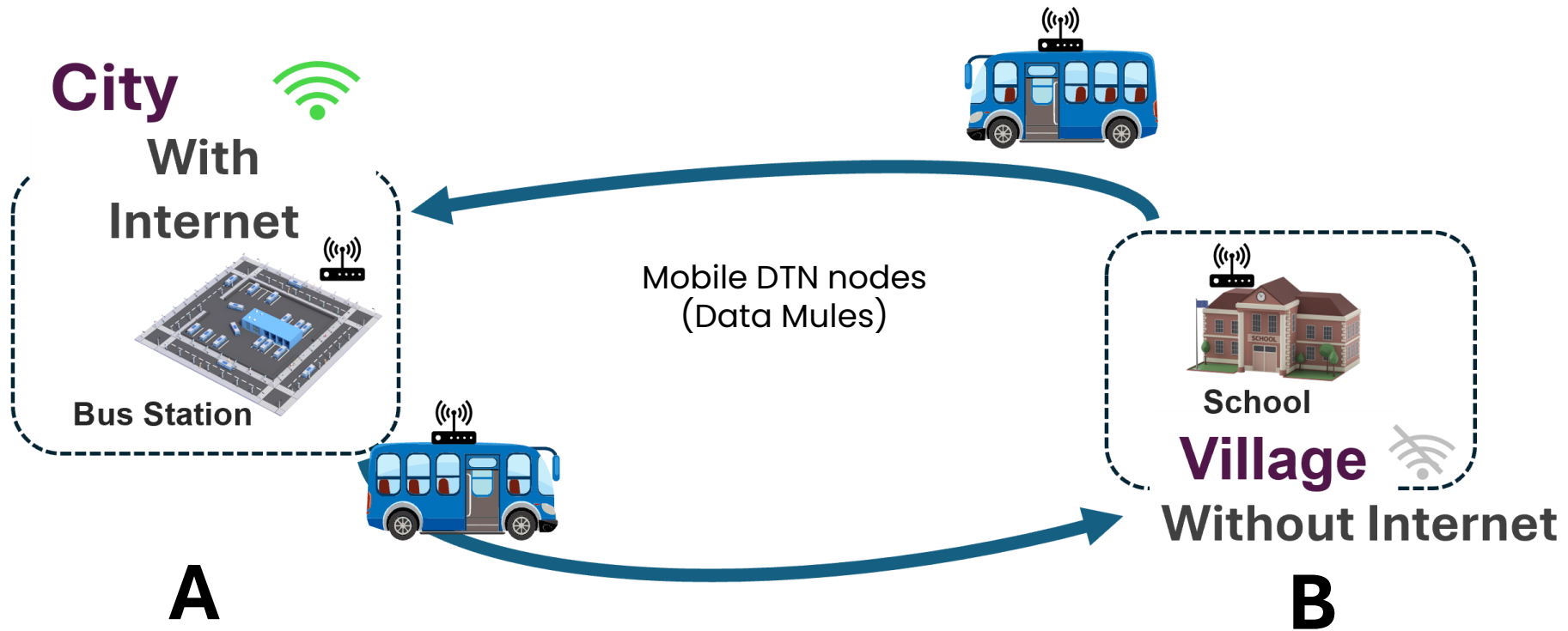
- **80%** of the African population relies on informal transport [1].
- In South Africa, minibus taxis serve over **60%** of the population, transporting around **14** million people daily [2].



[3]

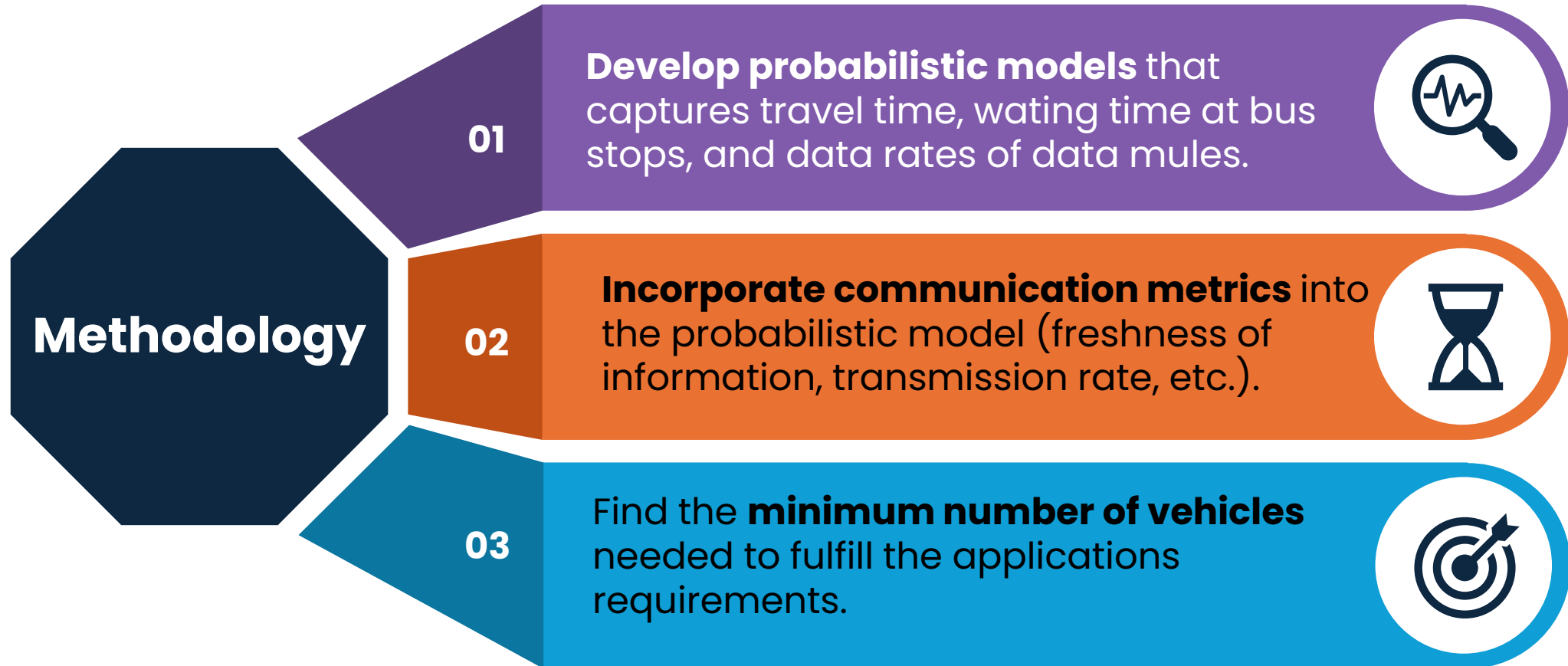


[3]

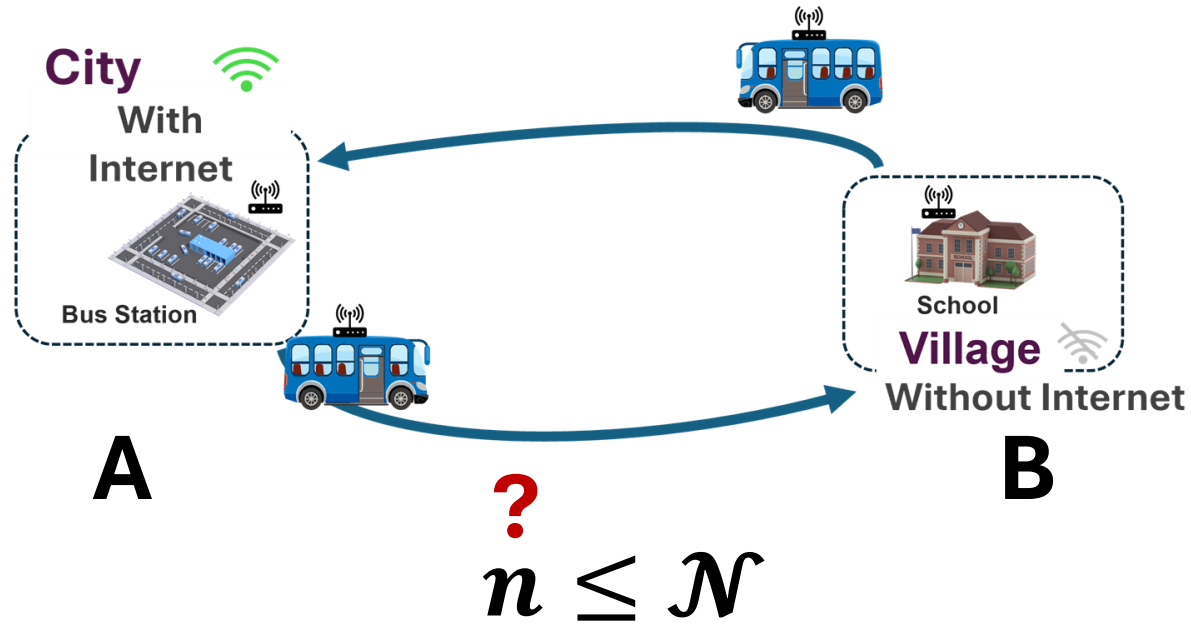


Research question:

How to incorporate informal transportation systems in the DTN design?



System Model – DTN Data Mule

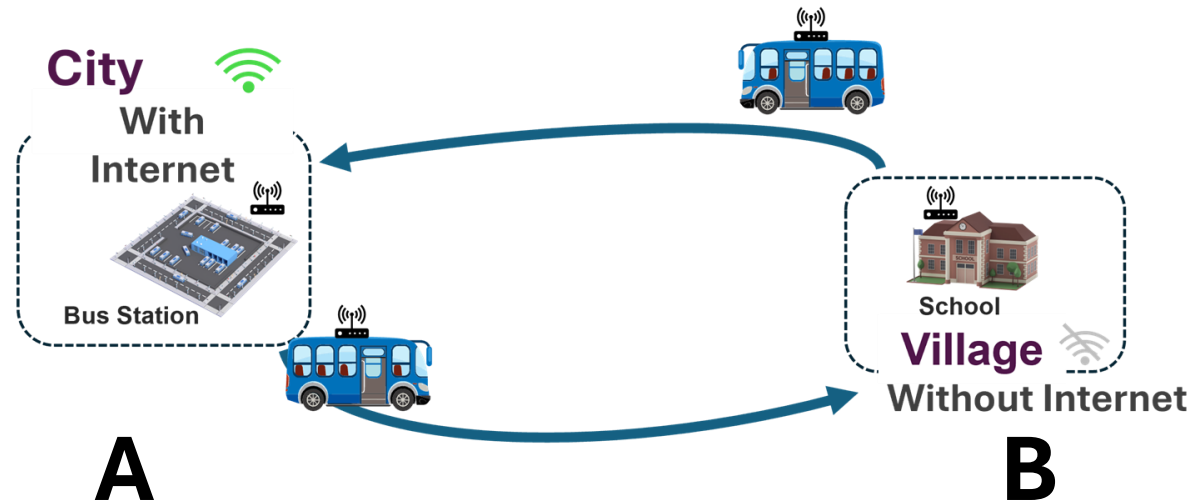


Contact Time

Travel Time

Interarrival
of vehicles

System Model – DTN Data Mule

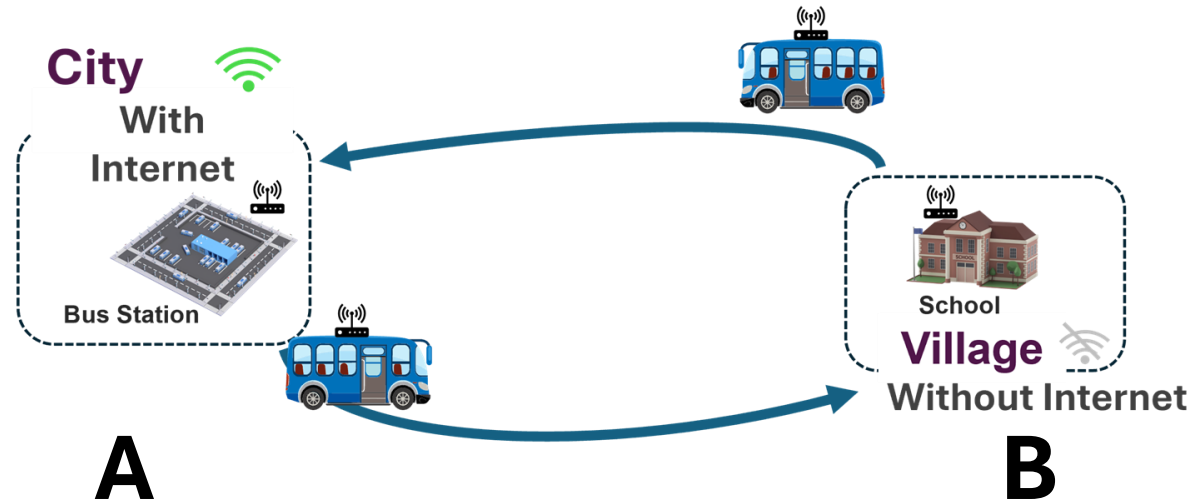


Contact Time

- Follows a uniform distribution, $T_{c,\{A,B\}} \sim \text{Unif}(T_{c,\min}, T_{c,\max})$.
- Data size depends on $T_{c,\{A,B\}}$ and data rate R .

Travel Time

- $T_{\{AB,BA\}} = T_{\min} + T_d$
- $T_{\min}$: Minimum travel time based on distance and optimal route.
- T_d : Delay time, Follows an exponential distribution $T_d \sim \text{Exp}(\lambda_{\{AB,BA\}})$.



Interarrival time of vehicles

- Total of $\mathcal{N}$ vehicles, with n vehicles ($n \leq \mathcal{N}$) equipped with DTN for data delivery.
 - Each vehicle modeled as a renewal process, $N_v(t)$, with i.i.d. renewal times $T_{v,i}$.
 - $T_{v,i} = T_{c,A} + T_{AB} + T_{c,B} + T_{BA}$, representing vehicles round-trip time.
 - Arrival process is a superposition of n independent renewal processes:
- $$N(t) = N_1(t) + N_2(t) + \dots + N_n(t)$$
- T_s represents arrival time of the superimposed process.
 - At equilibrium, the mean inter-arrival time $E[T_s]$ for the superimposed process is given by:

$$E[T_s] = \frac{E[T_v]}{n} = \frac{\mu}{n}$$

$$\lambda_s = \frac{1}{E[T_s]} = \frac{n}{\mu}$$

Downlink/Uplink Transmission Rate

Lemma 1 (Mean Transmitted Data Size). *The data size for uplink/downlink is proportional to the time needed to pick up the package from node A/B and deliver it to node B/A. Thus, the transmitted data size for the v^{th} vehicle is given by:*

$$m_v = \mathbf{R} \cdot \min\{T_{c,A}, T_{c,B}\} \quad (5)$$

where the complementary cumulative distribution function (CCDF) of the data size is:

$$F_m(m) = \left(\frac{\mathbf{R}c_2 - m}{\mathbf{R}(c_2 - c_1)} \right)^2, \quad m \in \mathbf{R} \cdot [c_1, c_2] \quad (6)$$

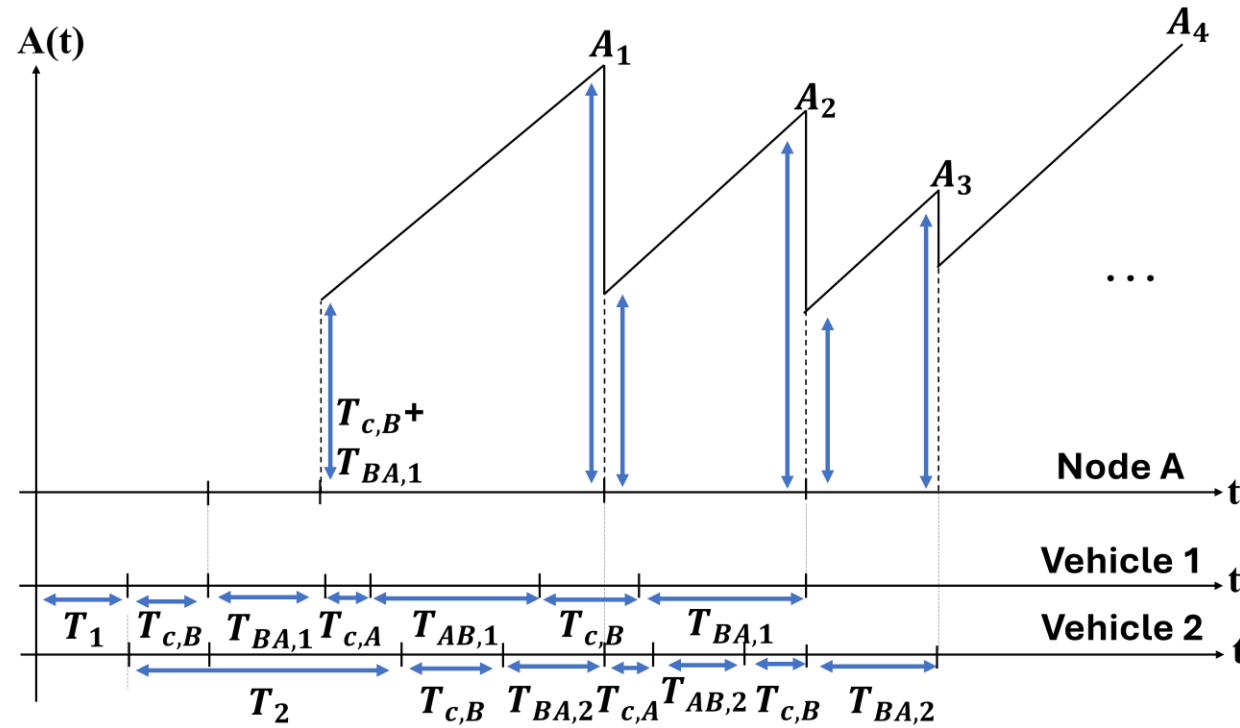
The mean transmitted data size for uplink/downlink is:

$$\mathbb{E}[m_v] = \mathbf{R} \cdot \left[\frac{c_2^2 + c_1c_2 - c_1^2}{3(c_2 - c_1)} \right] \quad (7)$$

Lemma 2 (Mean Transmission Rate). *For the mean data size per vehicle arrival, $\mathbb{E}[m_v]$, and vehicle arrival rate, λ_s , the mean transmission rate is:*

$$\mathbb{E}[\mathcal{R}] = \mathbb{E}[m_v]\lambda_s = \mathbb{E}[m_v] \cdot \frac{n}{\mu}, \quad (8)$$

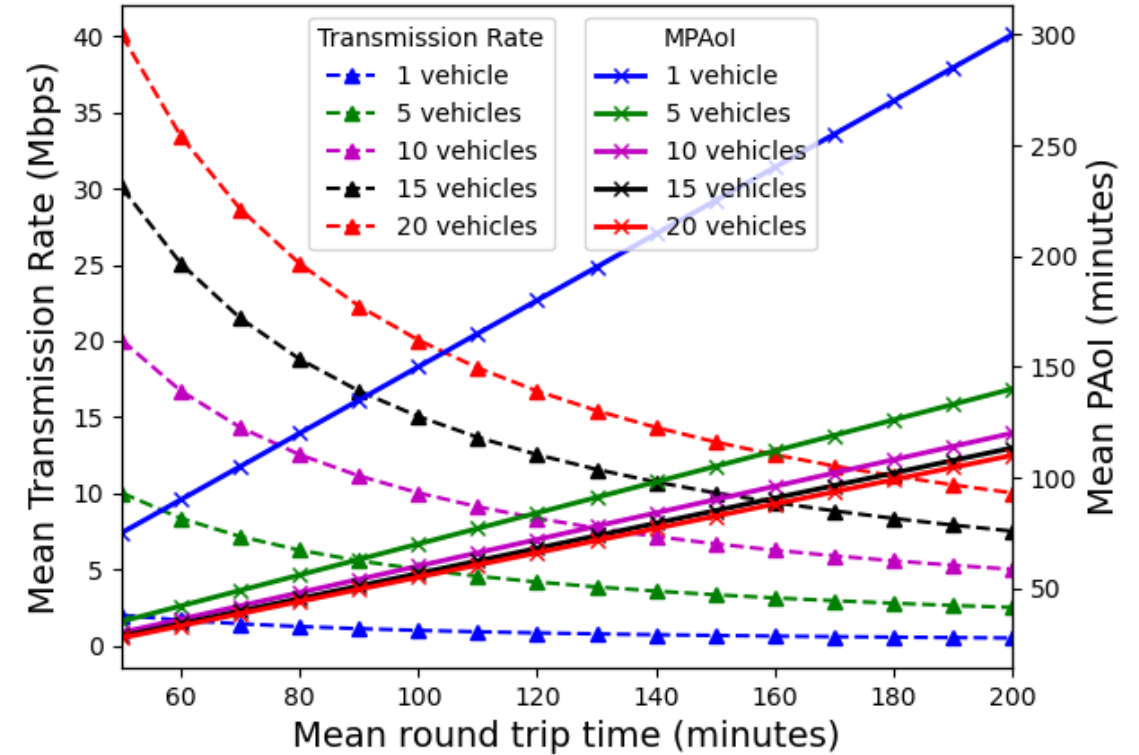
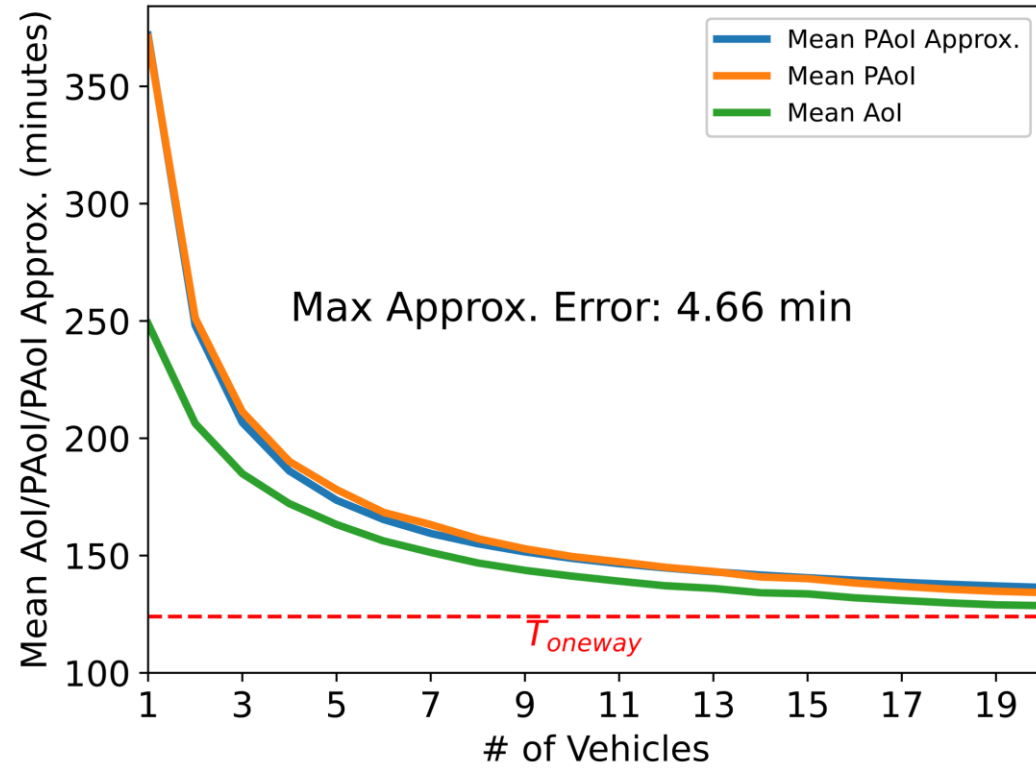
Mean Peak Age of Information (PAoI)



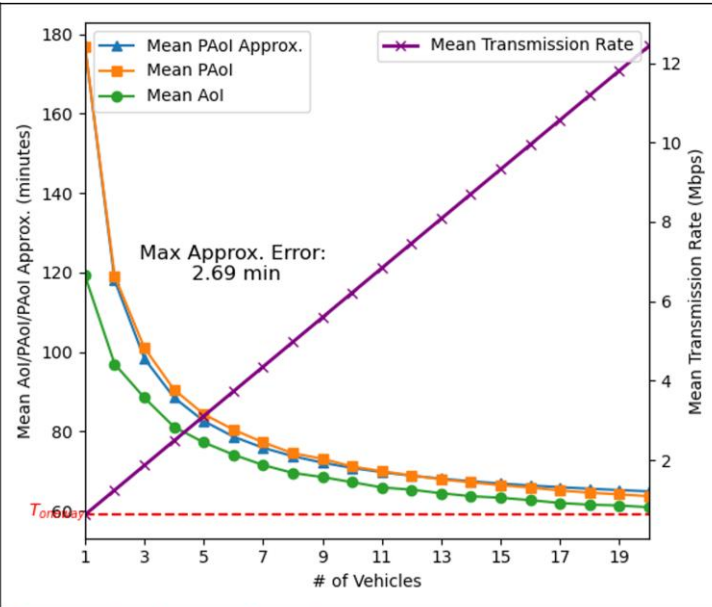
$$MPAoI \approx \mathbb{E}[T_{c,B} + T_{BA}] + \frac{\mu}{n}$$

Performance Metrics – Simulation Results

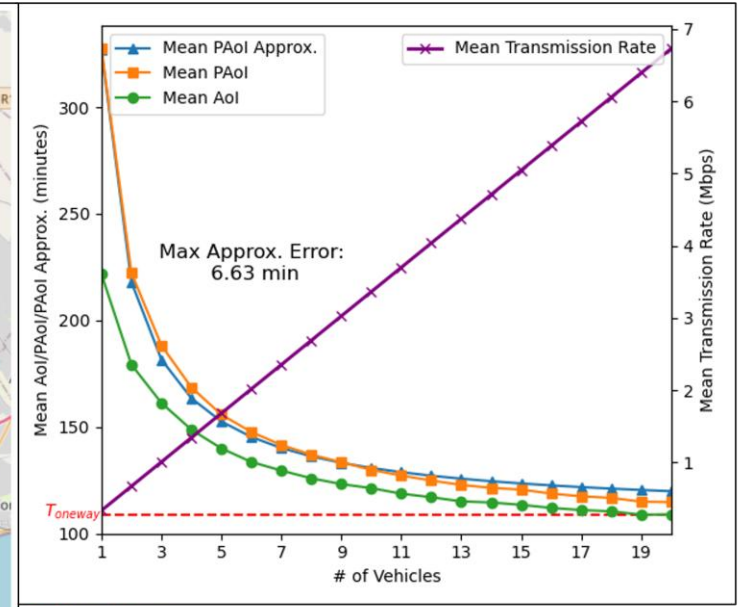
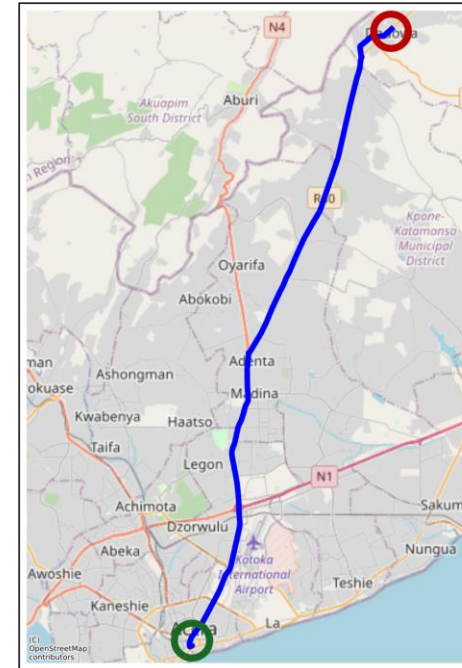
Parameter	Value
$c_{1\{A,B\}}$	3
$c_{2\{A,B\}}$	5
$T_{min\{AB,BA\}}$	100
$1/\lambda_d$	20



Performance Metrics – Case Study

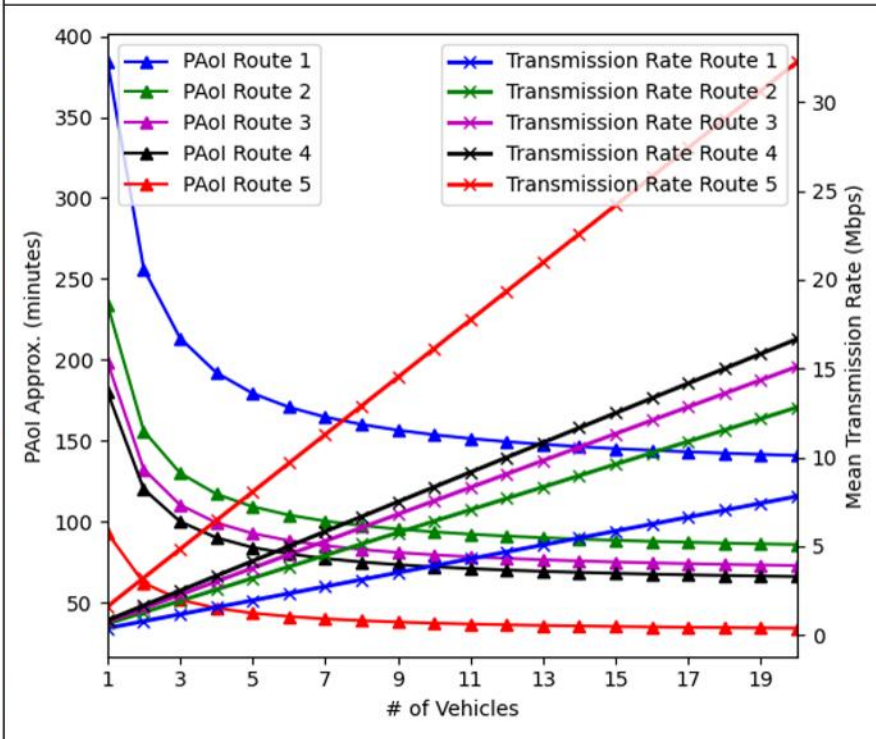
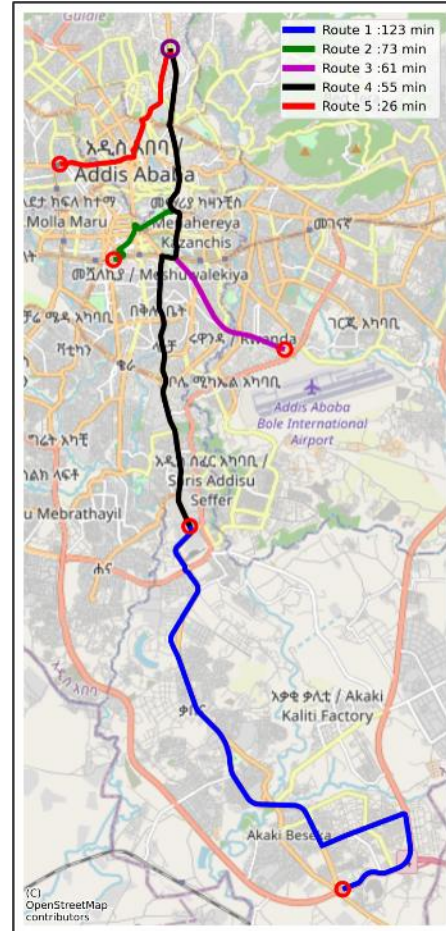


- Distance: ~ 25km.
- Travel time: ~ 55 min.



- Distance: ~ 56km.
- Travel time: ~ 104 min.

Performance Metrics – Case Study



○ Tulu Dimtu

- This study explores using **informal public transport** as DTN data mules to provide Internet-like connectivity to remote regions.
- We developed probabilistic models for vehicles traversing between regions, contact time, and data transmission rates.
- The framework incorporates communication metrics such as freshness of information and data transmission rate.
- We introduced an approximation for the Peak Age of Information (PAoI) based on vehicle inter-arrival times.
- Increasing the number of DTN-equipped vehicles significantly reduces PAoI, enhances transmission rates, and improves scalability.
- We validated our framework using public transport systems in Ethiopia, Mauritania, and Ghana.

Thank you!
Questions?